

Code here is in two parts. Written as a for/do loop and also “calculator” style. The loop method is certainly more efficient coding style. Homework can be done either way.

The scilab code is exactly the same as what one would type in matlab or octave.



```
->A=[1 1 1 1; 4 3 2 1; 1 2 2 1; 1 3 2 2]
```

```
A =
```

```
1. 1. 1. 1.
```

```
4. 3. 2. 1.
```

```
1. 2. 2. 1.
```

```
1. 3. 2. 2.
```

```
-->for j=1:5, A(1,1)=j; B=det(A)*inv(A);[det(A) B(1,1)], end
```

```
ans =
```

```
4. 2.
```

```
ans =
```

```
6. 2.
```

```
ans =
```

```
8. 2.
```

```
ans =
```

```
10. 2.
```

```
ans =
```

```
12. 2.
```

```
-->A(1,1)=1;det(A)
```

```
ans =
```

```
4.
```

```
-->A(1,1)=2;det(A)
```

```
ans =
```

```
6.
```

```
-->A(1,1)=3;det(A)
```

```
ans =
```

```
8.
```

```
-->A(1,1)=4;det(A)
```

```
ans =
```

```
10.
```

```
-->A(1,1)=5;det(A)
```

```
ans =
```

```
12.
```

```
-->A(1,1)=1; B=inv(A)*det(A);B(1,1)
```

```
ans =
```

```
2.
```

```
-->A(1,1)=2; B=inv(A)*det(A);B(1,1)
```

```
ans =
```

```
2.
```

```
-->A(1,1)=3; B=inv(A)*det(A);B(1,1)
```

```
ans =
```

```
2.
```

```
-->A(1,1)=4; B=inv(A)*det(A);B(1,1)
```

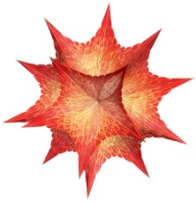
```
ans =
```

```
2.
```

```
-->A(1,1)=5; B=inv(A)*det(A);B(1,1)
```

```
ans =
```

```
2.
```



Mathematica

```
Untitled-1 *
In[28]:= A = {{1, 1, 1, 1}, {4, 3, 2, 1}, {1, 2, 2, 1}, {1, 3, 2, 2}}
Out[28]= {{1, 1, 1, 1}, {4, 3, 2, 1}, {1, 2, 2, 1}, {1, 3, 2, 2}}

In[33]:= Do[{A[[1, 1]] = i, B = Det[A] * Inverse[A], Print[Det[A], " ", B[[1, 1]]]}, {i, 5}]
4 2
6 2
8 2
10 2
12 2

In[34]:= A[[1, 1]] = 1; Det[A]
Out[34]= 4

In[35]:= A[[1, 1]] = 2; Det[A]
Out[35]= 6

A[[1, 1]] = 3; Det[A]
Out[36]= 8

In[37]:= A[[1, 1]] = 4; Det[A]
Out[37]= 10

In[38]:= A[[1, 1]] = 5; Det[A]
Out[38]= 12

In[39]:= A[[1, 1]] = 1; B = Det[A] * Inverse[A]; B[[1, 1]]
Out[39]= 2

In[40]:= A[[1, 1]] = 2; B = Det[A] * Inverse[A]; B[[1, 1]]
Out[41]= 2

A[[1, 1]] = 3; B = Det[A] * Inverse[A]; B[[1, 1]]
Out[41]= 2
```

```
In [93]: A=array([[1,1,1,1],[4,3,2,1],[1,2,2,1],[1,3,2,2]])
```

```
In [94]: for i in range(0,5):  
.....:     A[0,0]=i+1; print(det(A))  
.....:
```

```
4.0  
6.0  
8.0  
10.0  
12.0
```

```
In [95]: for i in range(0,5):  
.....:     A[0,0]=i+1; B=inv(A)*det(A); print(B[0,0])  
.....:
```

```
2.0  
2.0  
2.0  
2.0  
2.0
```

```
In [96]: A[0,0]=1; print(det(A))
```

```
4.0
```

```
In [97]: A[0,0]=2; print(det(A))
```

```
6.0
```

```
In [98]: A[0,0]=3; print(det(A))
```

```
8.0
```

```
In [99]: A[0,0]=4; print(det(A))
```

```
10.0
```

```
In [100]: A[0,0]=5; print(det(A))
```

```
12.0
```

```
In [101]: A[0,0]=1; B=inv(A)*det(A); print(B[0,0])
```

```
2.0
```

```
In [102]: A[0,0]=2; B=inv(A)*det(A); print(B[0,0])
```

```
2.0
```

```
In [103]: A[0,0]=3; B=inv(A)*det(A); print(B[0,0])
```

```
2.0
```

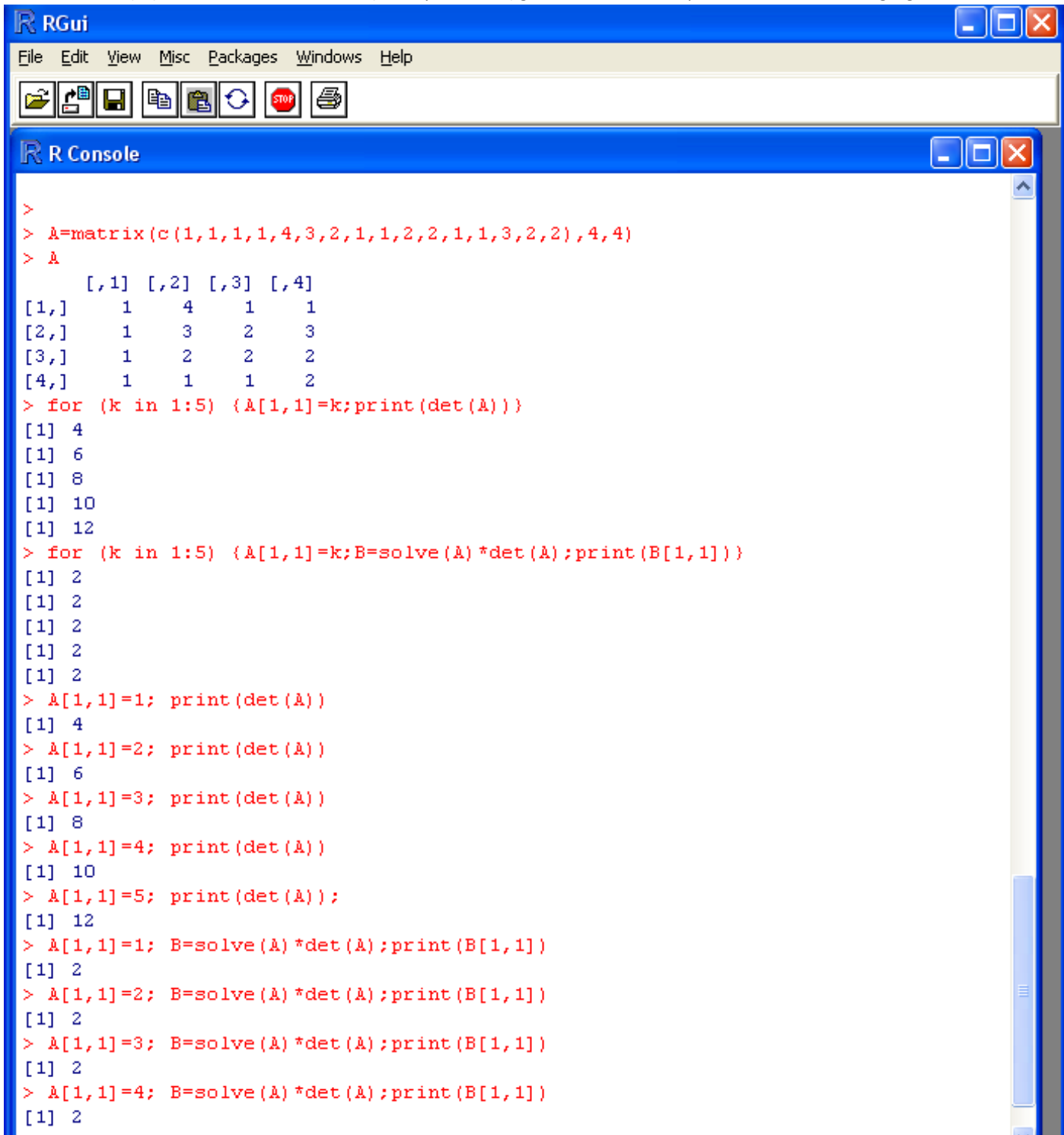
```
In [104]: A[0,0]=4; B=inv(A)*det(A); print(B[0,0])
```

```
2.0
```

```
In [105]: A[0,0]=5; B=inv(A)*det(A); print(B[0,0])
```

```
2.0
```

Note that `matrix(c(1,1,1,1,4,3,2,1,1,2,2,1,1,3,2,2),4,4, byrow=TRUE)` gives the matrix “transposed” as in the other languages



```
>
> A=matrix(c(1,1,1,1,4,3,2,1,1,2,2,1,1,3,2,2),4,4)
> A
      [,1] [,2] [,3] [,4]
[1,]    1    4    1    1
[2,]    1    3    2    3
[3,]    1    2    2    2
[4,]    1    1    1    2
> for (k in 1:5) {A[1,1]=k;print(det(A))}
[1] 4
[1] 6
[1] 8
[1] 10
[1] 12
> for (k in 1:5) {A[1,1]=k;B=solve(A)*det(A);print(B[1,1])}
[1] 2
[1] 2
[1] 2
[1] 2
[1] 2
> A[1,1]=1; print(det(A))
[1] 4
> A[1,1]=2; print(det(A))
[1] 6
> A[1,1]=3; print(det(A))
[1] 8
> A[1,1]=4; print(det(A))
[1] 10
> A[1,1]=5; print(det(A));
[1] 12
> A[1,1]=1; B=solve(A)*det(A);print(B[1,1])
[1] 2
> A[1,1]=2; B=solve(A)*det(A);print(B[1,1])
[1] 2
> A[1,1]=3; B=solve(A)*det(A);print(B[1,1])
[1] 2
> A[1,1]=4; B=solve(A)*det(A);print(B[1,1])
[1] 2
```

Maple 9.5 - Untitled (1) - [Server 1]

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Maple Input Monospaced 12 B I U

Expression

Symbol

Matrix

Vector

```

> with(LinearAlgebra):
> A:=<<1|1|1|1>,<4|3|2|1>,<1|2|2|1>,<1|3|2|2>>;

```

$$A := \begin{bmatrix} 1 & 1 & 1 & 1 \\ 4 & 3 & 2 & 1 \\ 1 & 2 & 2 & 1 \\ 1 & 3 & 2 & 2 \end{bmatrix}$$

```

> for i from 1 to 5 do A[1,1]:=i; print(Determinant(A)); od:
4
6
8
10
12
> for i from 1 to 5 do A[1,1]:=i; B:=MatrixInverse(A)*Determinant(A);
print(B[1,1]); od:
2
2
2
2
2
> A[1,1]:=1: Determinant(A);
4
> B:=MatrixInverse(A)*Determinant(A): B[1,1];
2

```

Ready Time: 0.20s Memory: 0.18M